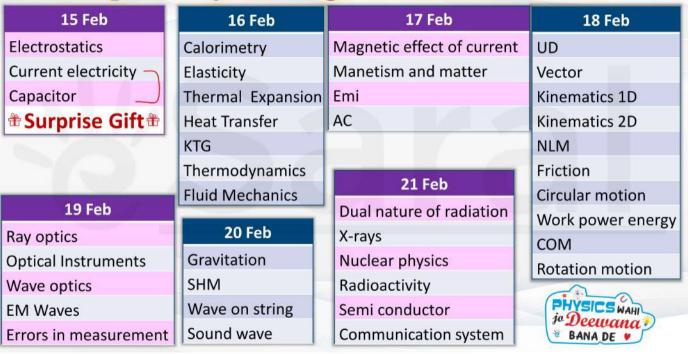


# Complete Physics Mega Revision Timetable



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- Mentored Lakhs of Students



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- Biology faculty at Rao Academy, Kota
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- Mentored over thousands of doctors







# Electrostatics Superfast Revision





#### **Charge is Quantized**

Its minimum value is 
$$e = 1.6 \times 10^{-19} \text{ C}$$

#### Coulomb's Law

$$F = \frac{1}{4\pi \in_0} \times \frac{q_1q_2}{r^2}$$

$$\in_0 = 8.85 \times 10^{-12} \boxed{\frac{C^2}{N - m^2}}$$

#### Coulomb's Law in Vector form

$$\overrightarrow{F}_{21} = \underbrace{\frac{1}{4\pi \in_{0}} \frac{q_{1}q_{2}}{r_{21}^{2}} \widehat{r}_{21}}_{1}$$

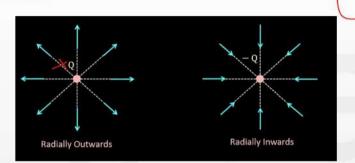








#### Electric Field due to point charge



#### EFI due to system of point charges

$$\vec{E}_{net} = \vec{E}_1 + \vec{E}_2 + \vec{E}_3$$



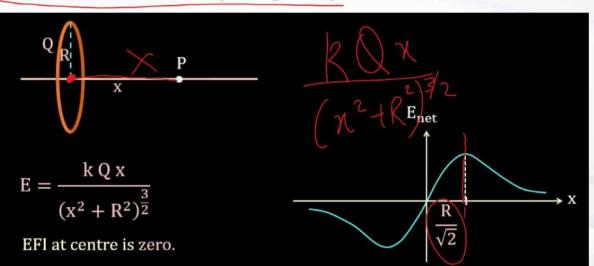








#### EFI on the axis of uniformly charged ring









#### EFI due to uniformly charged thin straight wire

$$\begin{aligned} \mathbf{E}_{\perp} &= \frac{\mathbf{k}\lambda}{\mathbf{r}} \left( \mathbf{sin}\theta_1 + \mathbf{sin}\theta_2 \right) \\ \mathbf{E}_{||} &= \frac{\mathbf{k}\lambda}{\mathbf{r}} \left( \mathbf{cos}\theta_1 - \mathbf{cos}\theta_2 \right) \end{aligned}$$

#### EFI due to uniformly charged semi infinite long wire

$$\mathbf{E}_{\perp} = \frac{\mathbf{k}\lambda}{\mathbf{r}} \qquad \mathbf{E}_{||} = \frac{\mathbf{k}\lambda}{\mathbf{r}}$$

# EFI due to uniformly charged infinite long wire

$$\mathbf{E}_{\perp} = \frac{2\mathbf{k}\lambda}{\mathbf{r}} \quad \mathbf{E}_{||} = \mathbf{0}$$

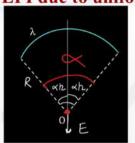






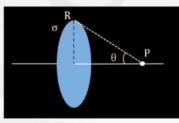


#### EFI due to uniformly charged arc at centre of curvature



$$E = \frac{2k\lambda}{R} \sin\left(\frac{\alpha}{2}\right) \qquad \approx 360$$

#### EFI on axis of uniformly charged disc



$$\mathbf{E} = \frac{\sigma}{2\epsilon_0} [1 - \cos \theta]$$







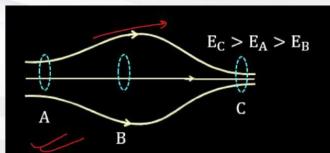




Two field lines can never intersect each other.

Number of field lines originating or terminating at a charge is proportional to the magnitude of the charge.

Electrostatic field lines can never form a closed loop because electrostatic force is conservative in nature (but induced electric field always form a closed loop).

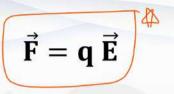


Magnitude of EFI at any point is directly proportional to the number of field lines crossing unit cross - sectional area (Density of field lines) at that point.



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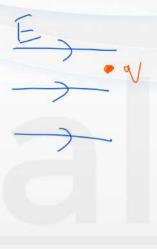


If q is + ve then  $\vec{F}$  in the direction of  $\vec{E}$ 

If q is – ve then  $\vec{F}$  in direction opposite to  $\vec{E}$ 

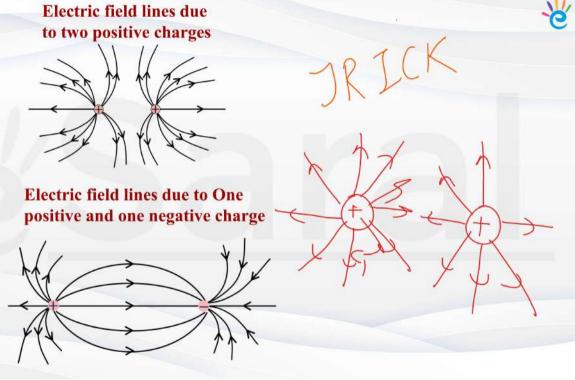








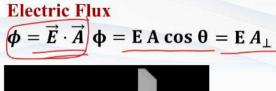








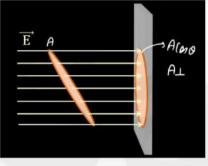






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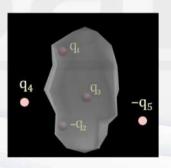
#### Net flux linked with closed Surface is-

$$\mathbf{\Phi} = \oint \vec{\mathbf{E}} \cdot \mathbf{d} \vec{\mathbf{A}}$$

#### **Gauss Law**

$$\oint \vec{\mathbf{E}} \cdot \overrightarrow{\mathbf{dA}} = \frac{\sum \mathbf{q}_{\text{inside}}}{\epsilon_0}$$

**E** = Net EFI due to all charges (both inside and outside the closed surface)







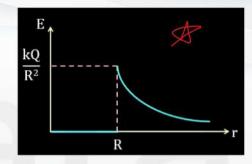
#### EFI due to uniformly charged thin spherical shell







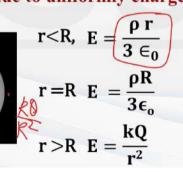
$$r < R$$
,  $E = 0$   
 $r > R$ ,  $E = \frac{kQ}{r^2}$ 

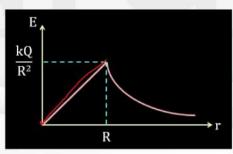




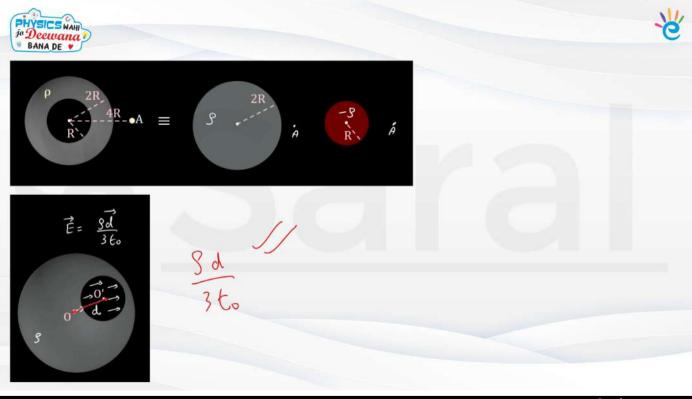
#### EFI due to uniformly charged solid sphere

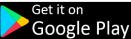


















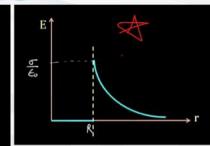
# EFI due to ∞ long uniformly charged cylindrical shell

$$r < R$$
,  $E = 0$ 

$$r > R$$

$$E = \frac{\sigma R}{r \epsilon_0}$$



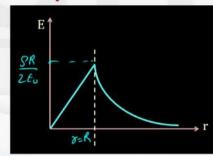


#### EFI due to ∞ long uniformly charged solid cylinder

$$r \le R$$
  $E = \frac{\rho r}{2\epsilon_0}$ 

$$r > R$$
  $E = \frac{\rho R^2}{2r\epsilon_0}$ 



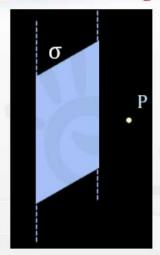








#### EFI due to ∞ long uniformly charged sheet



$$\mathbf{E} = \frac{\sigma}{2\epsilon_{o}}$$

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#### Potential energy of a system of two point charges

$$U = \frac{kq_1q_2}{r}$$

#### Work done by electrostatic force

$$\mathbf{W} = -\Delta \mathbf{U}$$

Work done by electrostatic force in a closed loop = 0

Work done by electrostatic force for two point charges depends only on initial and final separation and not on the path taken.









Electric Potential 
$$V = \frac{U_{int}}{q_0}$$

Due to point charge	$V_A = \frac{kQ}{r}$
Due to system of charges	$V_A = \frac{kQ_1}{r_1} + \frac{kQ_2}{r_2} + \frac{kQ_3}{r_3}$
At the center of thin charged spherical shell	$V_0 = \frac{kQ}{R}$
At the center of uniformly charged ring	$V_0 = \frac{kQ}{R}$
On the axis of uniformly charged ring	$V_A = \frac{k Q}{\sqrt{x^2 + R^2}}$









# Electric potential from EFI $V_f - V_i = -\int_{0}^{r_f} \vec{E} \cdot d\vec{r}$

$$V_f - V_i = -\int_{x_i}^{x_f} E_x dx - \int_{y_i}^{y_f} E_y dy - \int_{z_i}^{z_f} E_z dz$$

$$\overrightarrow{E} = 5 \text{ V/m}$$

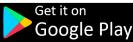
$$25 \text{ V} \qquad 20 \text{ V} \qquad 15 \text{ V} \qquad 10 \text{ V} \qquad 5 \text{ V}$$

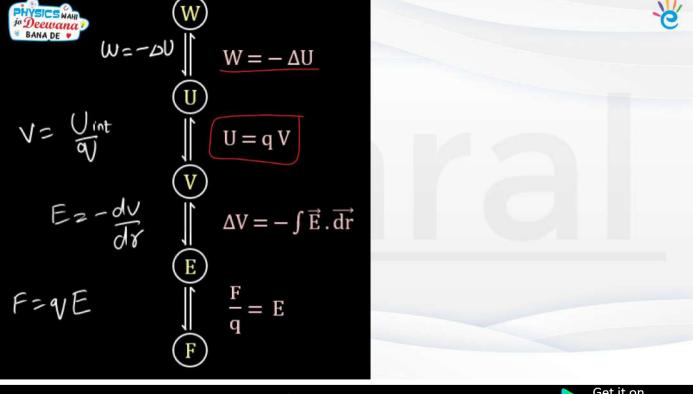
$$x = 0 \qquad x = 1 \qquad x = 2 \qquad x = 3 \qquad x = 4$$
Key Point

On moving in the direction of EFI electric potential decreases.

#### **EFI from EP**

$$\mathbf{E_r} = -\frac{\mathbf{dV}}{\mathbf{dr}} \qquad \vec{\mathbf{E}} = -\frac{\partial \mathbf{V}}{\partial \mathbf{x}} \hat{\mathbf{i}} - \frac{\partial \mathbf{V}}{\partial \mathbf{v}} \hat{\mathbf{j}} - \frac{\partial \mathbf{V}}{\partial \mathbf{z}} \hat{\mathbf{k}}$$





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#### Electric potential due to

#### a. Uniformly charged thin spherical shell

r > R

$$=\frac{kQ}{R}$$

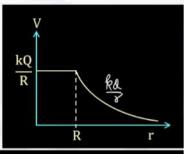
$$V = \frac{kQ}{r}$$

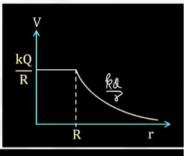
#### b. Uniformly charged solid sphere

$$r < R$$
  $V = \frac{\rho}{6\epsilon_o} (3R^2 - r^2)$ 

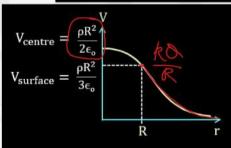
$$r = R \quad V = \frac{\rho R^2}{3\epsilon}$$

$$r > R$$
  $V = \frac{kQ}{r}$ 











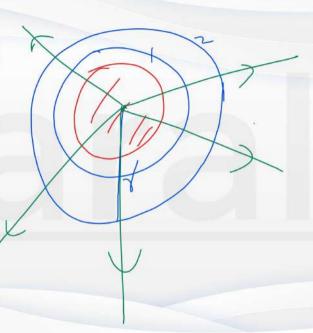




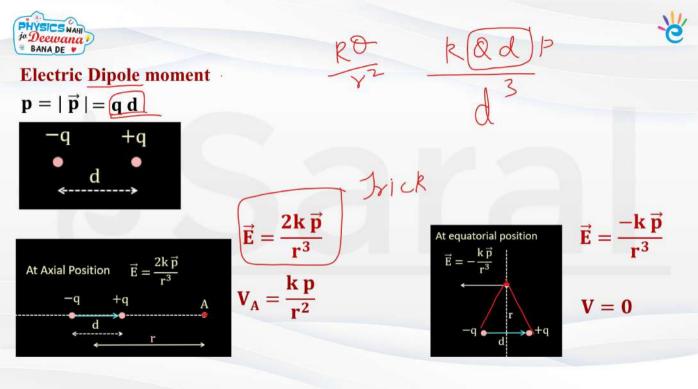


**Equipotential Surface- same potential** at each and every point

• Electric field is perpendicular to the Equipotential surface.





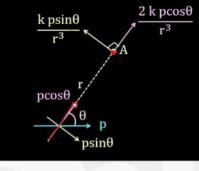






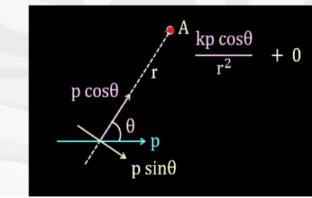
#### EFI at general point

$$|\mathbf{E}_{\mathbf{A}}| = \frac{\mathbf{kp}}{\mathbf{r}^3} \sqrt{3\cos^2\theta + 1}$$



#### Electric potential at general point

$$V_{A} = \frac{k \vec{p} \cdot \hat{r}}{r^{2}}$$



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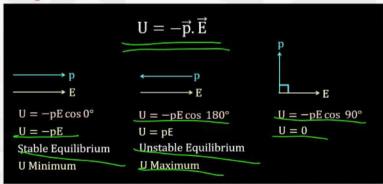
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Torque of uniform  $\overrightarrow{E}$  tries to align  $\overrightarrow{p}$  in direction of  $\overrightarrow{E}$  through smaller angle.

$$\vec{\tau} = \vec{p} \times \vec{E}$$

Electric potential energy of electric diapole of Electric field.











#### **Electric Conductors**

Having unlimited supply of free charge is called Conductor

- Electric Field is 0 inside a conductor in electrostatic steady state.
- Charge density inside a conductor is zero.
- Conductor is an equipotential body.

If a charge is given to a conductor then it will stay on the surface of conductor.

surface therefore net EFI at the surface of

As surface of a conductor is an equipotential conductor is always perpendicular to the surface.



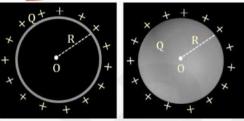




#### Electric potential due to spherical conductor

$$V_{in} = \frac{kQ}{R} = V_{surface}$$

$$V_{outside} = \frac{kQ}{R}$$



#### EFI on the surface of the conductor

$$\frac{\sigma}{\epsilon_0}$$

If a conductor is connected with earth through a conducting wire (earthing), potential of the conductor becomes zero

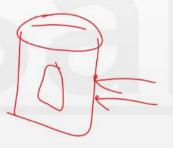






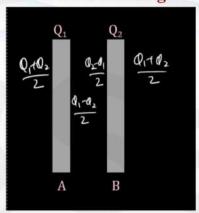
#### **Faraday Cage**

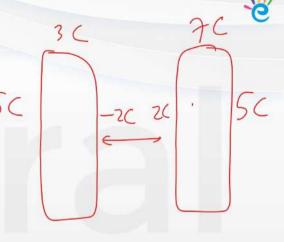
Electrostatic shielding, faraday cage is an enclosure to block electromagnetic fields





#### **Parallel Conducting Plates**





On facing surfaces, equal and opposite charges appear.

On outer most surfaces,  $\frac{\sum Q_i}{2}$  charge appear.







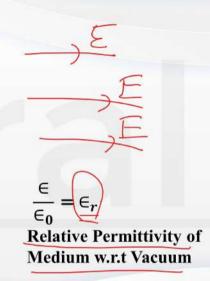


nergy Density 
$$= \frac{1}{2} \epsilon_0 E^2$$
Electric Field Intensity

#### Effect of medium on net electrostatic force

$$\frac{\mathbf{q}_{1} \qquad \mathbf{r} \qquad \mathbf{q}_{2}}{\downarrow} \qquad \mathbf{F}_{\text{net}} = \frac{1}{4\pi \in \times} \frac{q_{1}q_{2}}{r^{2}}$$
Permittivit

**Permittivity of Medium** 













\*Saral हैं. तो अब अश्ल है।

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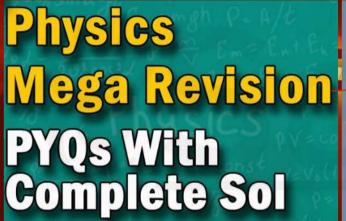


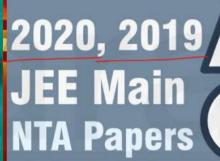
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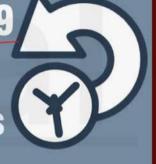


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# Lets Meditate !!

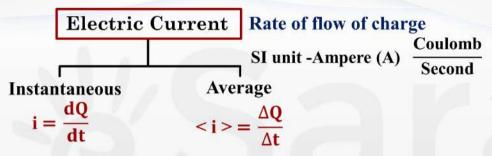




# **Current Electricity Superfast Revision**



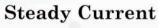


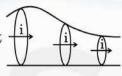


By convention, direction of flow of positive charge is taken as direction of flow of current.









I is same through all cross sections

#### Amount density - Amount of Current

Current density =  $\frac{1}{\text{Cross sectional area } (\perp \text{ to current})}$ 

$$\Rightarrow$$
 j =  $\frac{i}{A_{\perp}}$ 

$$A_{\perp}$$

$$i = \vec{j}.\vec{A}$$

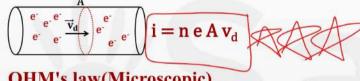








Drift velocity 
$$\vec{v}_d = -\left(\frac{e\vec{E}}{m}\right)\tau$$
 where  $\tau$  is avg. time between collisions



$$\vec{E} = \rho \vec{j}$$
 where  $\rho = \frac{m_e}{ne^2 \tau}$ 

#### OHM's law(Macroscopic)



**Potential difference** 





$$\rho_{T} = \rho_{0}(1 + \alpha \Delta T)$$

Temperature coefficient of resistivity

$$Conductivity = \frac{1}{Resistivity}$$

$$S_{2}=S_{1}\left[1+2\left(T_{2}-T_{1}\right)\right]$$

$$S_{\tau} = S_{\delta}(1+\alpha \omega \tau)$$

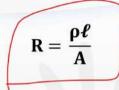
$$R_{\tau} = R_{\delta}(1+\alpha \omega \tau)$$

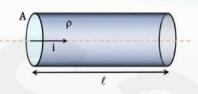




#### Resistance of the body







#### ρ is a property of material

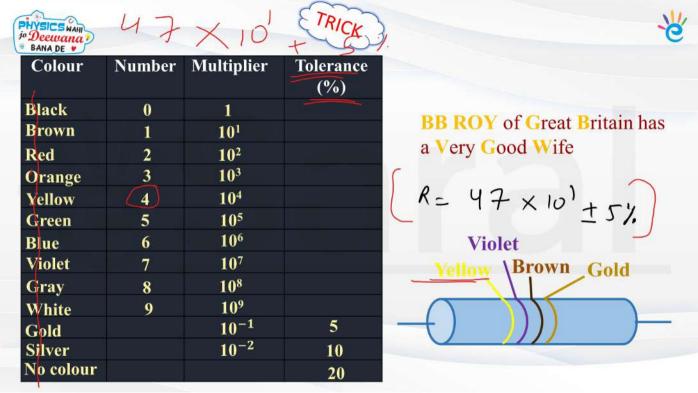
R is a property of body.

#### Dependency of R on Temperature (T)

$$R_2 = R_1 (1 + \alpha (T_2 - T_1))$$
  $\alpha$  is Temperature coefficient of Resistance

Conductance = 
$$\frac{1}{\text{Resistance}}$$
 Unit is mho  $(\Omega^{-1})$ 

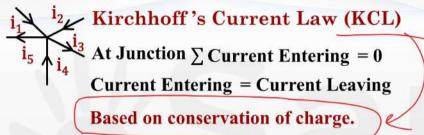














Kirchhoff's Voltage Law (KVL)

R<sub>3</sub> The algebraic sum of changes in potential around any closed loop is zero.

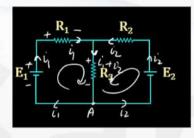
Based on conservation of energy.





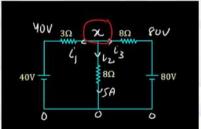
#### **Mesh Analysis**

- 1. Assume current using KCL
- 2. In loops apply KVL



#### **Nodal Analysis**

- 1. Assume potential in a circuit (at junction) and try to assign minimum variables.
- 2. Apply KCL at junction.



x-0+1-40 8 +x-80 = 0







Parallel Combination (V is same), 
$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \cdots$$

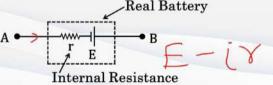
Series Combination (i is same), 
$$R_{eq} = R_1 + R_2 + \cdots$$

$$\frac{\mathbf{R_1}}{\mathbf{R_2}} = \frac{\mathbf{R_3}}{\mathbf{R_4}} \qquad \begin{array}{c} \mathbf{R_1} \\ \mathbf{R_2} \end{array} \qquad \begin{array}{c} \mathbf{R_1} \\ \mathbf{R_2} \end{array} \qquad \begin{array}{c} \mathbf{R_1} \\ \mathbf{R_2} \end{array} \qquad \begin{array}{c} \mathbf{R_3} \\ \mathbf{R_4} \end{array} \qquad \begin{array}{c} \mathbf{R_3} \\ \mathbf{R_4} \end{array}$$



of a Battery

$$V_A - iR + E = V_B$$





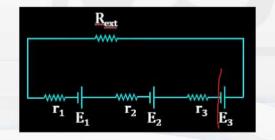




#### **Series Combination of Batteries**

$$\mathbf{r_{eq}} = \mathbf{r_1} + \mathbf{r_2} + \mathbf{r_3}$$

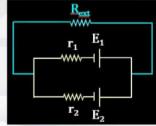
$$\mathbf{E_{eq}} = \mathbf{E_1} + \mathbf{E_2} \mathbf{F} \mathbf{E_3}$$



#### **Parallel Combination of Batteries**

$$\frac{1}{r_{eq}} = \frac{1}{r_1} + \frac{1}{r_2}$$

$$\frac{E_{eq}}{r_{eq}} = \frac{E_1}{r_1} + \frac{E_2}{r_2}$$

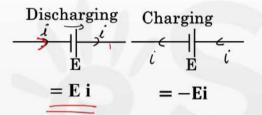






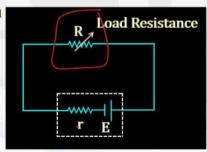
#### Power Delivered Through a Device P = Vi

#### Power Delivered by Battery



#### Maximum Power Transmission Theorem

Power consumed by load resistance will be maximum when its value is equal to internal resistance of battery.













#### Power Consumed by a Resistor

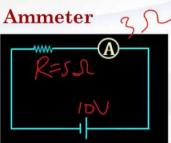
$$P_{loss} = Vi = i^2 R = \frac{V^2}{R}$$

Heat loss by resistor in time 
$$t' = i^2 R t = \frac{V^2 t}{R}$$









Ammeter is an instrument used to measure current.

Ammeter is connected in series to the branch in which current is to be measured.

Ideal ammeter has zero resistance.

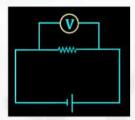
As this is not possible practically, therefore ammeter should have minimum resistance.







#### Voltmeter



Voltmeter is an instrument used to measure potential difference.

Voltmeter is connected in parallel to the branch in which potential difference is to be measured.

Ideal voltmeter has infinite resistance.

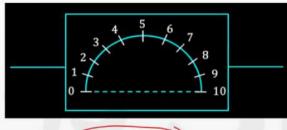
Real voltmeter should have very large resistance.







#### Galvanometer



Range : 0 - 10 mA

Full deflection current

ic Kc

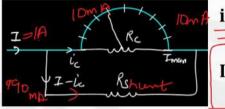
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## ORICK

### 8

#### Conversion of Galvanometer into Ammeter



$$\underbrace{\mathbf{i_c R_c}}_{\mathbf{I} = \mathbf{i_c}} = \underbrace{(\mathbf{I} - \mathbf{i_c}) \mathbf{R_s}}_{\mathbf{I} = \mathbf{i_c}} \\
\underbrace{\mathbf{R_c} + \mathbf{R_s}}_{\mathbf{I}}$$



#### Conversion of Galvanometer into

Voltmeter



$$V = i_{c}(R + R_{c})$$

$$V_{max} = i_{max}(R + R_{c})$$



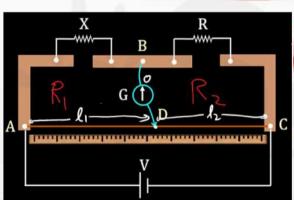






#### **Meter Bridge**

It is used to find the unknown resistance.



$$\mathbf{X} = \left(\frac{\ell_1}{\ell_2}\right)R$$

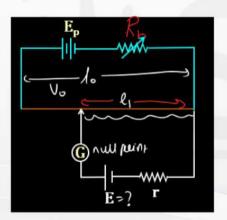






#### **Application of Potentiometer**

#### 1) To find EMF of the battery



Pot gradient = 
$$\frac{V_0}{\ell_0}$$

$$\mathbf{E} = \left(\frac{\mathbf{V_0}}{\boldsymbol{\ell_0}}\right) \boldsymbol{\ell_1}$$

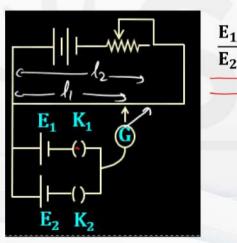






#### **Application of Potentiometer**

#### 2) To compare EMF of batteries



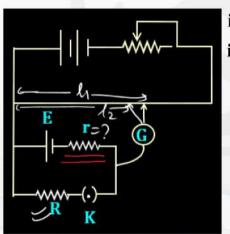
$$\frac{\mathbf{E_1}}{\mathbf{E_2}} = \frac{\boldsymbol{\ell_1}}{\boldsymbol{\ell_2}}$$





#### **Application of Potentiometer**

3) To find internal resistance of a battery



- i) K open & null point  $\rightarrow \ell_1$
- ii) K close & null point  $\rightarrow \ell_2$

$$\mathbf{r} = \mathbf{R} \left( \frac{\boldsymbol{\ell}_1}{\boldsymbol{\ell}_2} - \mathbf{1} \right)$$



# Lets Meditate !!







# Capacitor Superfast Revision





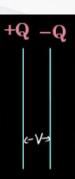
#### Capacitor

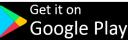
Capacity of a Capacitor, 
$$C = \frac{Q}{V}$$

SI unit of Capacity (Capacitance) is Farad

1 Farad is a very BIG unit.  $\mu F(10^{-6}F)$ ,  $nF(10^{-9}F)$ ,  $pF(10^{-12}F)$ 

$$Q = CV$$







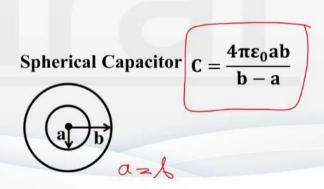




#### Capacity of a Capacitor depends on

- 1) Shape and size of the plates
- 2) Distance between plates
- 3) Medium between the plates









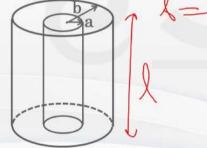




#### **Cylindrical Capacitor**

$$C = \frac{2\pi\epsilon_0 l}{\ln\left(\frac{b}{a}\right)}$$

$$R_{ICK}$$

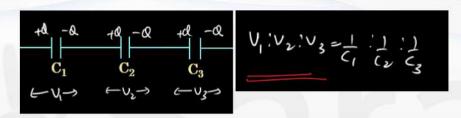


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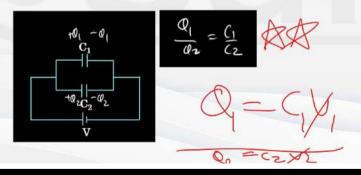


Series Combination (charge is same),  $\frac{1}{c_{eq}} = \frac{1}{c_1} + \frac{1}{c_2} + \cdots$ 





Parallel Combination (V is same),  $C_{eq} = C_1 + C_2 + \cdots$ 









#### Mesh Analysis

- Assume charge using Junction Law.
- Apply KVL

#### **Nodal Analysis**

- Assume potential in a circuit.
- Apply Junction Law

#### **Work Done By Battery**







# Energy Stored in a Capacitor $=\frac{1}{2}CV^2 = \frac{Q^2}{2C} = \frac{1}{2}QV$

Heat Generated in Circuit 
$$H = \sum W_b - \sum \Delta E$$

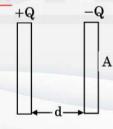
$$\Delta \mathbf{E} = (\mathbf{E}_{\mathbf{f}} - \mathbf{E}_{\mathbf{i}})$$

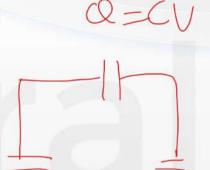
$$\sum W_b =$$
Work done by all batteries

$$\sum \Delta E =$$
Energy change in all capacitors

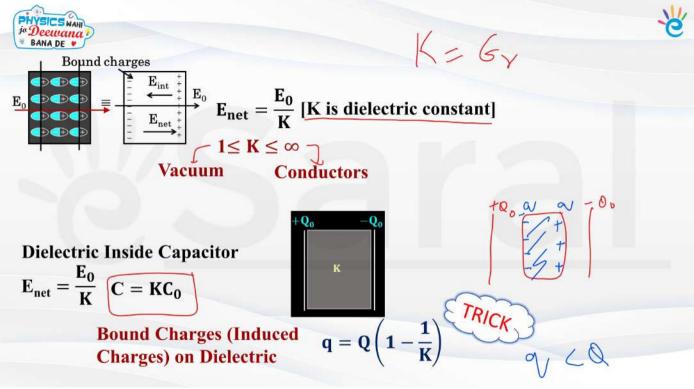
## Electrostatic Force b/w the Plates of a Parallel Plate Capacitor

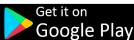
$$F = \frac{Q^2}{2A \in_0}$$







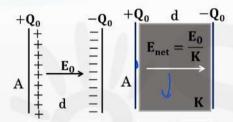


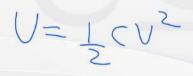






#### 1. Battery is not connected





TRICK	
Before	After
$\overline{\mathbb{Q}_0}$	$Q_0$
$C_0$	KC <sub>0</sub>
Eo	$E_0/K$
<u>V</u> <sub>0</sub> -	V <sub>0</sub> /K
U <sub>0</sub>	U <sub>0</sub> /K

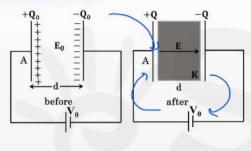
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### Effect on Parameters due to Introduction of Dielectric Slab (Completely Filled)



#### 2. Battery is connected



RICK	
Before	After
$Q_0$	KQ <sub>0</sub>
$C_0$	KC <sub>0</sub>
$\mathbf{E_0}$	E <sub>0</sub>
$v_0$	$V_0$
$U_0$	U <sub>0</sub> K

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#### **Different Combination of Dielectrics**

Q) Find 
$$C_{eq}$$
.  $Q_0$   $Q_0$ 

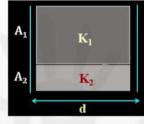
Sol. 
$$C_1$$
  $C_2$   $C_1 = \frac{A \varepsilon_0 k_1}{d_1}$   $C_2 = \frac{A \varepsilon_0 k_2}{d_2}$ 

$$C_2$$
  $C_1$   $C_2$   $C_2$   $C_2$   $C_3$   $C_4$   $C_5$   $C_6$   $C_7$   $C_7$   $C_8$   $C$ 



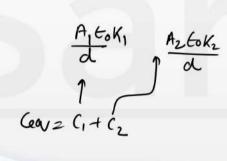


Q) Find C<sub>eq.</sub>



Sol.







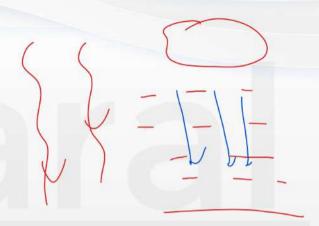




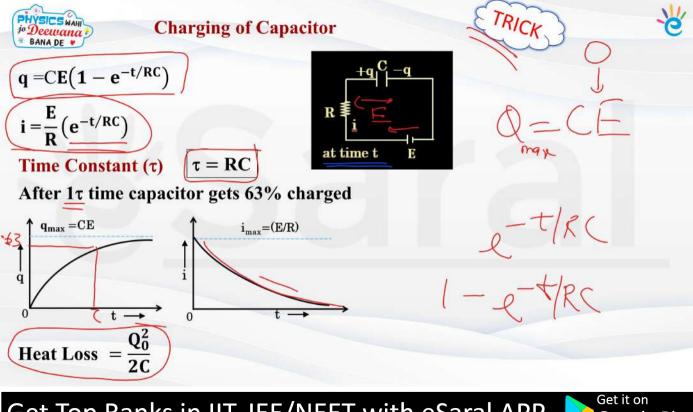
#### **Dielectric Strength**

The maximum electric field that a medium can withstand without breakdown (of its insulating property) is called dielectric strength of the medium.

For air it is about  $3 \times 10^6 \text{V/m}$ 







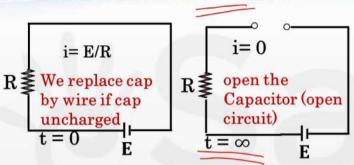
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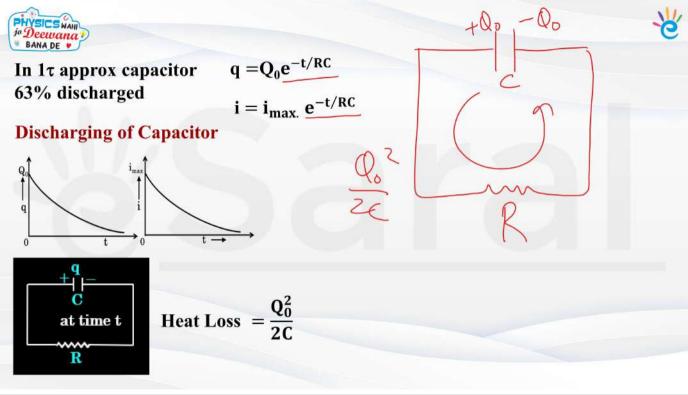
















# Lets Meditate !!



### Complete Physics Mega Revision Timetable



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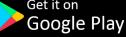
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### All the Best!!





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